

Physics 161 Spring 2008 Dr Morrison
TEST 3 Solutions

1) (D)

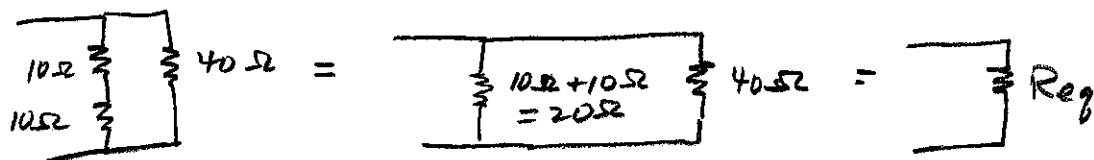
2) (E)

3) $P = I^2 R$ so if $I \rightarrow I/2$, $P \rightarrow P/4 = 15W$ (A)

4) $V_{ab} = \mathcal{E} - IR \Rightarrow I = \frac{\mathcal{E} - V_{ab}}{R} = \frac{31.0V - 17.4V}{2\Omega}$

$= 6.8A$ from b to a (D)

5)



where $\frac{1}{R_{eq}} = \frac{1}{20\Omega} + \frac{1}{40\Omega} = \frac{3}{40\Omega} \Rightarrow R_{eq} = \frac{40}{3}\Omega$ (B)

6) $V = IR$, so the 40Ω resistor has a voltage of $180V$ across it, so

$I = V/R = \frac{180V}{40\Omega} = \frac{9}{2}A = 4.5A$ (A)

7) Capacitor discharging $q(t) = q(0)e^{-t/RC}$

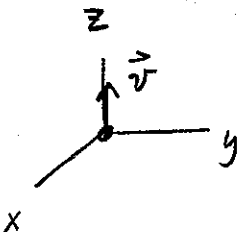
But $q(0) = CV(0) = 16\mu F \cdot 80V = 1280\mu C = 1.28mC$

Then at time t , $V(t) = q(t)/C = \frac{1280\mu C}{16\mu F} e^{-t/\tau}$

where $\tau = RC = 3.6M\Omega \cdot 16\mu F = 57.6s$

So $V(40.0s) = \frac{1280\mu C}{16\mu F} \exp(-40.0s/57.6s)$

$= 40V$ (B)

8)  $\vec{F} = q \vec{v} \times \vec{B} = q \vec{v} \times (\hat{i} B_x + \hat{j} B_y + \hat{k} B_z)$
 If $\vec{v} = v \hat{k}$, then $\vec{v} \times (\hat{k} B_z) = 0$
 So we cannot tell anything about B_z , i.e. (D)

9) If particle is undeflected, $\vec{F}_E + \vec{F}_M = 0$

$$q \vec{E} + q \vec{v} \times \vec{B} = 0 \Rightarrow \vec{E} = -\vec{v} \times \vec{B}$$

Since $\vec{v} \perp \vec{B}$, the magnitude of E is

$$E = vB \quad \text{but} \quad V = \int \vec{E} \cdot d\vec{l} = Ed$$

So $\frac{V}{d} = vB$ or $V = vBd$

$$V = \left(5 \times 10^5 \frac{\text{m}}{\text{s}}\right) (0.3 \text{ T}) \left(8 \text{ mm} \times 10^{-3} \frac{\text{m}}{\text{mm}}\right)$$

$$\underline{V = 1200 \text{ V}} \quad \text{(E)}$$

10) For uniform circular motion of a charged particle in a uniform magnetic field

$$F = qvB = m \frac{v^2}{R} \Rightarrow R = \frac{mv}{qB}$$

But The particle reached speed v by being accelerated in a potential V , i.e.

$$qV = \frac{1}{2} m v^2 \Rightarrow v = \sqrt{\frac{2q}{m} V}$$

If $V \rightarrow 3V \Rightarrow v \rightarrow \sqrt{3} v$

$$\Rightarrow R \rightarrow \sqrt{3} R \quad \text{(B)}$$

$$11) \oint \vec{B} \cdot d\vec{l} = \mu_0 I_{\text{net}}$$

But $I_{\text{net}} = 0$ for paths a and c \Rightarrow (C)

12) $I_1 \uparrow \quad \downarrow I_2$ Since $I_1 = I_2$, there is no region where $\vec{B} = 0$ (E)

13) As done in class last Friday

$$B_{\text{inside}} = \frac{\mu_0 I}{2\pi a^2} r$$

$$B_{\text{outside}} = \frac{\mu_0 I}{2\pi r}$$

ie (1st plot)

or (A)